

YOGYAKARTA STATE UNIVERSITY FACULTY OF MATHEMATICS AND NATURAL SCIENCES

FINAL EXAM 2011/2012

COURSE	: ABSTRACT ALGEBRA	LECTURER	: MUSTHOFA,M.Sc
CODE	: MAA 324	DAY & DATE	: WED/ 20/06/ 2012
CLASS	: P MAT INT 2009	DURATION	: 100 ' (13.00-14.40)
SEMESTER	: 6	ROOM	: D07 310

Let G with a binary operation * be a group. Now, choose one element g ∈ G and define new binary operation # in G as follow : a # b = a * g * b.

Check whether (G, #) form a group or not.

- 2. Determine all subgroup of $\mathbb{Z}_{20} = \left\{\overline{0}, \overline{1}, \overline{2}, ..., \overline{19}\right\}$
- 3. Find the number of generator of cyclic group $\mathbb{Z}_{2717} = \{\overline{0}, \overline{1}, \overline{2}, ..., \overline{2716}\}$
- 4. Let *G* be a group and $g \in G$. A function $f : G \to G$ is defined by $f(x) = g^{-1}xg$, $\forall x \in G$. Show that *f* is an automorphism.

GOOD LUCK

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